

Technical data for roller, design, mounting

General technical data and calculations

Speed

$$v_{\max} = 5 \text{ m/s}$$

Acceleration

$$a_{\max} = 15 \text{ m/s}^2$$

Temperature resistance

$$-10 \text{ }^{\circ}\text{C} < \vartheta < 40 \text{ }^{\circ}\text{C}$$

Lubrication

All cam roller guide bearings are delivered with built-in lubrication felts.

Condition on delivery

Ungreased (greasing with Klüber Isoflex Topas NCA 52; see assembly instructions **3 842 527 226**)

Lubricating felts with reservoir are not greased.

Guide rods are ungreased.

Definition of dynamic load rating C

The radial loading of constant magnitude and direction which a linear rolling bearing can theoretically withstand for a nominal service life of 100 km distance traveled (acc. to ISO 14728 Part 1).

Note regarding maximum load F_{\max}

The maximum loads apply to individual loads. Combining loads decreases the expected service life.

Definition and calculation of nominal service life

The calculated service life which an individual linear rolling bearing – or a group of apparently identical rolling element bearings operating under the same conditions – can attain with a 90% probability, based on the materials of normal manufacturing quality that are generally used today and under usual operating conditions (acc. to ISO 14728 Part 1) and optimal installation conditions.

Nominal service life at constant speed

$$L = \left(\frac{C}{F} \right)^3 \cdot 10^5$$

$$L_h = \left(\frac{L}{2 \cdot s \cdot n_s \cdot 60} \right)$$

L = nominal service life (m)

L_h = nominal service life (h)

C = dynamic load capacity (N)

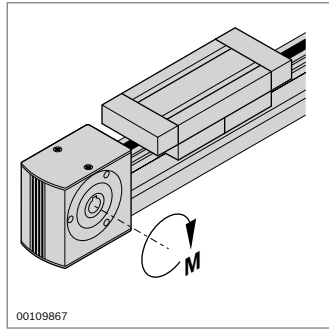
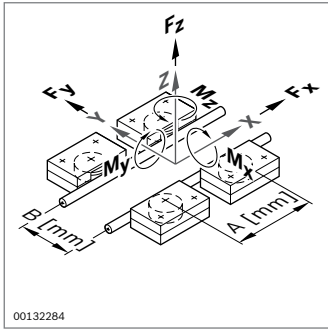
F = equivalent load (N)

s = length of stroke* (m)

n_s = stroke frequency (double stroke) (min^{-1})

*) For $s < 2 \times L_1$ (trolley length) load capacities are reduced.

Please consult us.



Load-dependent design

- The specified values are maximum single loads, which are reduced when loads are combined

Note: If cumulative forces and moments arise in your application, please use the Linear Motion Designer LF-MGE linear guide calculation program to recalculate your design (p. 13-57)

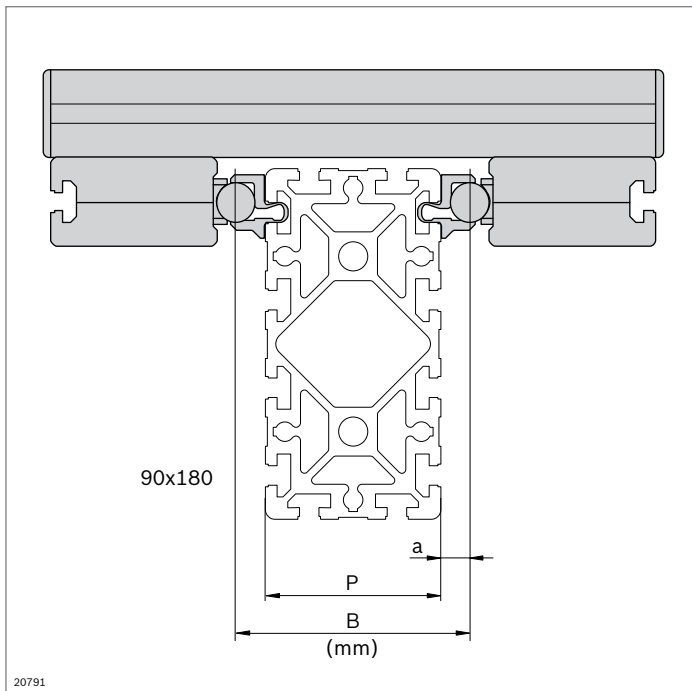
	$A_{min}^{1)}$ (mm)	F_z (N)	F_y (N)	M_x (Nm)	M_z (Nm)	M_y (Nm)	v_{max} (m/s)	M_{max} (Nm)
LF6S	75	850	1400	13.6	$0.7 \times A^2$	$0.4 \times A^2$	5	9.5 / 7.6
LF6C	75	850	1400	$0.4 \times B^2$	$0.7 \times A^2$	$0.4 \times A^2$	5	15
LF12S	90	2000	3500	78.0	$1.7 \times A^2$	$1.0 \times A^2$	5	30
LF12C	90	2000	3500	$1.0 \times B^2$	$1.7 \times A^2$	$1.0 \times A^2$	5	30
LF20S	135	6000	12500	240.0	$6.2 \times A^2$	$3.0 \times A^2$	5	100
LF20C	135	6000	12500	$3.0 \times B^2$	$6.2 \times A^2$	$3.0 \times A^2$	5	100

¹⁾ A_{min} = Length guide bearing

²⁾ Note: A (spacing of support wheels, see image above) in mm; see below for calculation of B (track width)

Do not exceed the maximum loading of the screwed connections for rails, carriages and fastenings.

Take account of the general service life of lubricants!



Calculating the track width B

$$B = P + 2 \times a$$

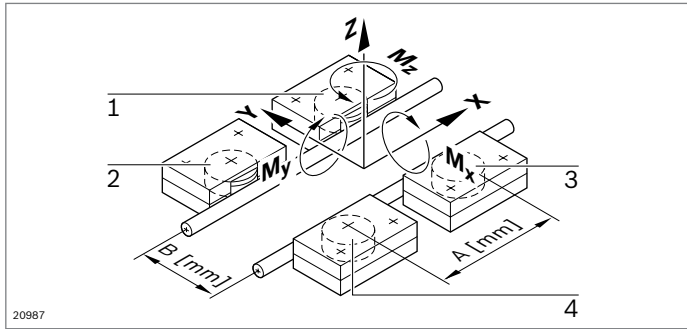
- B = track width (in mm)
- P = profile width (in mm)
- a = rod spacing (in mm)

LF ... C

- Values for a: for LF6C = 9.5 mm (p. 13-13)
- for LF12C = 9 mm (p. 13-25)
- for LF20C = 15 mm (p. 13-39)

LF ... S

- Values for a: for LF6S = 40 - 6 = 34 mm (p. 13-8)
- for LF12S = 90 - 12 = 78 mm (p. 13-18)
- for LF20S = 100 - 20 = 80 mm (p. 13-32)



Roller 1:

$$F_r = -\left(\frac{F_y}{2}\right) - \left(\frac{M_z}{A}\right)$$

$$F_a = \left(\frac{F_z}{4}\right) + \left(\frac{M_x}{2 \cdot B}\right) - \left(\frac{M_y}{2 \cdot A}\right)$$

Roller 3:

$$F_r = +\left(\frac{F_y}{2}\right) + \left(\frac{M_z}{A}\right)$$

$$F_a = \left(\frac{F_z}{4}\right) - \left(\frac{M_x}{2 \cdot B}\right) - \left(\frac{M_y}{2 \cdot A}\right)$$

Roller 2:

$$F_r = -\left(\frac{F_y}{2}\right) + \left(\frac{M_z}{A}\right)$$

$$F_a = \left(\frac{F_z}{4}\right) + \left(\frac{M_x}{2 \cdot B}\right) + \left(\frac{M_y}{2 \cdot A}\right)$$

Roller 4:

$$F_r = +\left(\frac{F_y}{2}\right) - \left(\frac{M_z}{A}\right)$$

$$F_a = \left(\frac{F_z}{4}\right) - \left(\frac{M_x}{2 \cdot B}\right) + \left(\frac{M_y}{2 \cdot A}\right)$$

Table 1: Load factors for rollers

	Load case: $F_r \geq F_a $				Load case: $F_r < F_a $			
	x	y	x_0	y_0	x	y	x_0	y_0
LF6	1	3.1	1.2	3.5	0.5	3.6	1	3.7
LF12	1	4.2	1.2	5.2	0.5	4.7	1	5.4
LF20	1	4	1.2	4.9	0.5	4.5	1.1	5

Table 2: Rollers - load capacities

	C for 10^5 m (N)	C_0 (N)
LF6	3670	2280
LF12	8300	5000
LF20	23400	16600

Calculation of load on bearing for a trolley

Loading of the individual rollers

- ▶ A mm: spacing of the rollers' rotational axes
- ▶ B mm: center-to-center distance between the guide rods
- ▶ Only compressive forces can be transferred between rollers and guide rods in the radial direction. The following therefore applies in respect of radial forces:
 $F_r \leq 0$: $F_r = 0$
- ▶ Rollers can be loaded equally in both directions. Therefore force F_a is sufficient for calculating P and P_0

Equivalent dynamic and static loads

To calculate the service life of a cam roller guide, the roller with the greatest load has to be considered.

The following must be determined:

$$P = \max(P_1, \dots, P_4)$$

$$P_0 = \max(P_{01}, \dots, P_{04})$$

Equivalent dynamic load P

$$P = x \cdot |F_r| + y \cdot |F_a|$$

Equivalent static load P_0

$$P_0 = x_0 \cdot |F_r| + y_0 \cdot |F_a|$$

F_r (N): radial load of the roller

The following applies: $F_r \leq 0$: $F_r = 0$

F_a (N): axial load of the roller

x, x_0 : radial factor (Table 1)

y, y_0 : axial factor (Table 1)

C: dynamic load capacity (Table 2)

C_0 : static load capacity (Table 2)

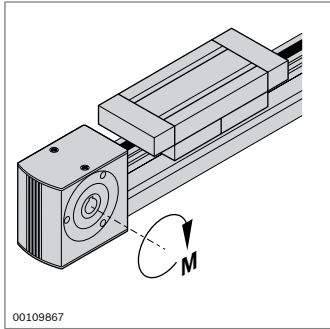
Static

safety values:

$S_0 \geq 4$ recommended!

$$S_0 = \left(\frac{C_0}{P_0}\right)$$

Size selection



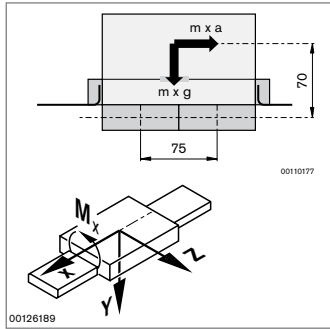
Determining the forces and moments which arise

$$\begin{matrix} F_{x\text{dyn}}, F_{y\text{dyn}}, F_{z\text{dyn}}^{1)} \\ M_{x\text{dyn}}, M_{y\text{dyn}}, M_{z\text{dyn}} \end{matrix}$$

¹⁾ $F_{z\text{dyn}}$ includes the weight of the trolley

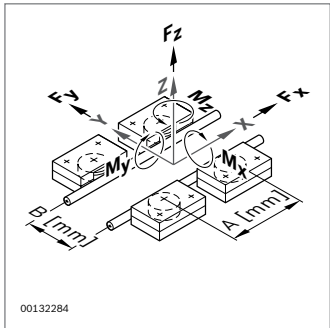
All the influences must be considered, e.g.:

- net mass and load
- acceleration forces and moments
- process forces and moments
- loads caused by dampers and/or stops



Determining the permissible forces and moments

For values see p. 13-51



Selection of the suitable size

$$\begin{matrix} F_{x, y, z \text{ dyn}} < F_{x, y, z \text{ dyn perm}} ! \\ M_{x, y, z \text{ dyn}} < M_{x, y, z \text{ dyn perm}} ! \end{matrix}$$

If F and M are cumulative:

recalculate using linear guide calculation program.

Note: When using the program, account must be taken of the directions of the respective forces and moments, i.e. the plus/minus sign, in order for the program to be able to calculate correctly.

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Example:

$$\begin{aligned} m &= 30 \text{ kg} & a &= 2.5 \text{ m/s}^2; \\ L_1 &= 150 \text{ mm} & L_2 &= 5000 \text{ mm} \\ g &= 9.81 \text{ m/s}^2 \end{aligned}$$

$$F_{z\text{dyn}} = m \cdot g = 294 \text{ N}$$

$$M_{y\text{dyn}} = m \cdot a \cdot 70 \text{ mm} = 5.25 \text{ Nm}$$

Example of LF 6 S, LF 6 C

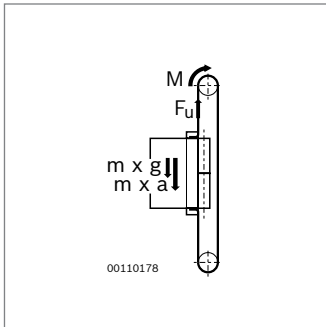
$$\begin{aligned} F_{z\text{dyn perm}} &= 850 \text{ N} > F_{z\text{dyn}} = 294 \text{ N} \\ M_{y\text{dyn perm}} &= 0.4 \cdot A = 0.4 \cdot 75 \text{ mm} \\ &= 30 \text{ Nm} > M_{y\text{dyn}} = 5.25 \text{ Nm} \end{aligned}$$

Example:

$$F_{z\text{dyn}} = 294 \text{ N} < F_{z\text{dyn perm}} = 850 \text{ N} !$$

$$M_{y\text{dyn}} = 5.25 \text{ Nm} < M_{y\text{dyn perm}} = 30 \text{ Nm} !$$

Calculating the drive

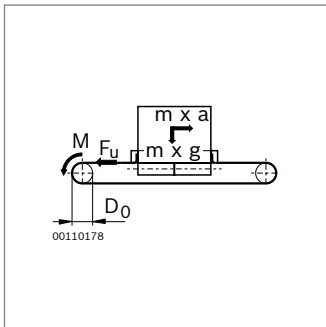


Peripheral force F_u

$$F_u = m \cdot a + m \cdot g + F_0 + \mu \cdot m \cdot g$$

$$F_u \leq F_{u \text{ perm}} !$$

F_0 : frictional force on return units
 μ : coefficient of friction of the guide
 see table below.



Alternative calculation formula

$$F_u = m \cdot a + F_0 + \mu \cdot m \cdot g \leq F_{u \text{ perm}} !$$

Example of LF6C

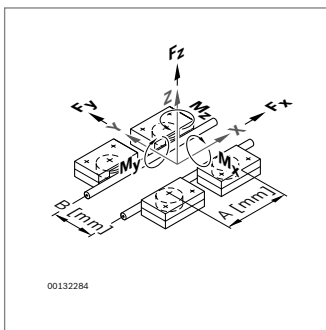
$$m = 30 \text{ kg}; \quad a = 2.5 \text{ m/s}^2$$

$$F_u = (30 \cdot 2.5) \text{ N} + 10 \text{ N}$$

$$+ (0.025 \cdot 30 \cdot 9.81) \text{ N}$$

$$F_u = 75 \text{ N} + 10 \text{ N} + 0.025 \cdot 294 \text{ N}$$

$$F_u = 92.35 \text{ N} < F_{u \text{ perm}} = 600 \text{ N} !$$



Required drive torque M

$$M = \frac{1}{2} \cdot D_0 \cdot F_u \leq M_{\text{perm}} !$$

Example:

$$M = \frac{1}{2} \cdot 50.94 \text{ mm} \cdot 92.35 \text{ N}$$

$$= 2.4 \text{ Nm}$$

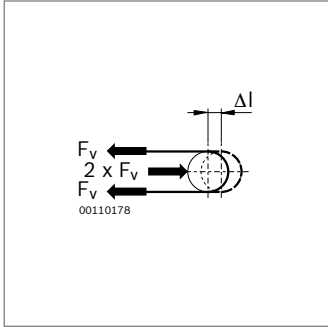
$$M = 2.35 \text{ Nm} \leq M_{\text{perm}}$$

$$= 15 \text{ Nm} !$$

	v (m/s)	$F_{u \text{ perm}}$ (N)	M_{perm} (Nm)	F_0 (N)	μ	D_0 (mm)	$D_0 \cdot \pi$ (mm)
LF6S	≤ 2.0	500	9.5	10	0.025	38.21	120
LF6S	2.01 ... 5.0	400	7.6	10	0.025	38.21	120
LF6C	≤ 5.0	600	15.0	10	0.025	50.94	160
LF12S	≤ 5.0	820	30.0	30	0.020	73.20	230
LF12C	≤ 5.0	820	30.0	30	0.020	73.20	230
LF20S	≤ 5.0	2000	100.0	35	0.015	101.86	320
LF20C	≤ 5.0	2000	100.0	35	0.015	101.86	320

F_0 : frictional force on return units; μ : coefficient of friction

Checking the selected size



Preload force F_v of toothed belt

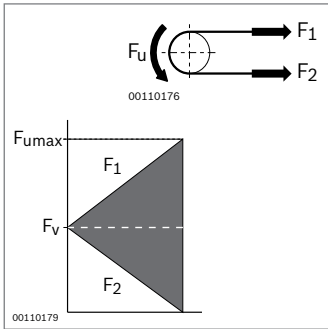
$$0.5 \cdot F_u \leq F_v \leq F_u$$

Recommendation: $F_v = 0.5 \cdot F_u$

Example:

$$F_u = 92.35 \text{ N}$$

$$F_v = 50 \text{ N}$$



Maximum toothed belt force $F_{1 \text{ max}}$

$$F_{1 \text{ max}} = F_v + 0.5 \cdot F_u \leq F_{1 \text{ perm}} !$$

$$F_{2 \text{ min}} = F_v - 0.5 \cdot F_u > 0 !$$

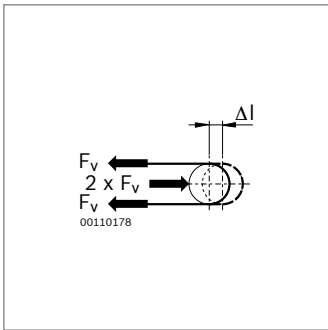
Example of LF6C

$$F_{1 \text{ max}} = 50 \text{ N} + 0.5 \cdot 92.35 \text{ N}$$

$$F_{1 \text{ max}} = 96.18 \text{ N} < F_{1 \text{ perm}} = 900 \text{ N} !$$

$$F_{2 \text{ min}} = 50 \text{ N} - 0.5 \cdot 92.35 \text{ N}$$

$$F_{2 \text{ min}} = 3.825 \text{ N} > 0 !$$



Required preload length Δl

$$\Delta l = 0.5 \cdot F_v \cdot L / C_{\text{spec}} \leq \Delta l_{\text{max}} !$$

Example:

$$L = 2 \cdot L_2 - L_1 + 400 \text{ mm}$$

$$L = 10 \cdot 250 \text{ mm}$$

$$\Delta l = 0.5 \cdot 50 \text{ N} \cdot 10 \cdot 250 \text{ mm}$$

$$/ 420 \cdot 000 \text{ N}$$

$$\Delta l = 0.8 \text{ mm} < \Delta l_{\text{max}} = 13 \text{ mm} !$$

	$F_{1 \text{ perm}}$ (N)	C_{spec} (N)	Δl_{max} (mm)	L (mm)	Page
LF6S	750	315000	11	$2 \cdot L_2 - L_1 + 360$	13-6
LF6C	900	420000	13	$2 \cdot L_2 - L_1 + 400$	13-11
LF12S	1230	1250000	16	$2 \cdot L_2 - L_1 + 630$	13-16
LF12C	1230	1250000	16	$2 \cdot L_2 - L_1 + 630$	13-23
LF20S	3000	1870000	23	$2 \cdot L_2 - L_1 + 780$	13-30
LF20C	3000	1870000	23	$2 \cdot L_2 - L_1 + 780$	13-37

C_{spec} : Belt stiffness;

L: Long toothed belts, see also LF6S (p. 13-6), LF6C (p. 13-11),

LF12S (p.13-16), LF12C (p. 13-23),

LF20S (p. 13-30), LF20C (p. 13-37)

Dimensioning of synchronous shafts






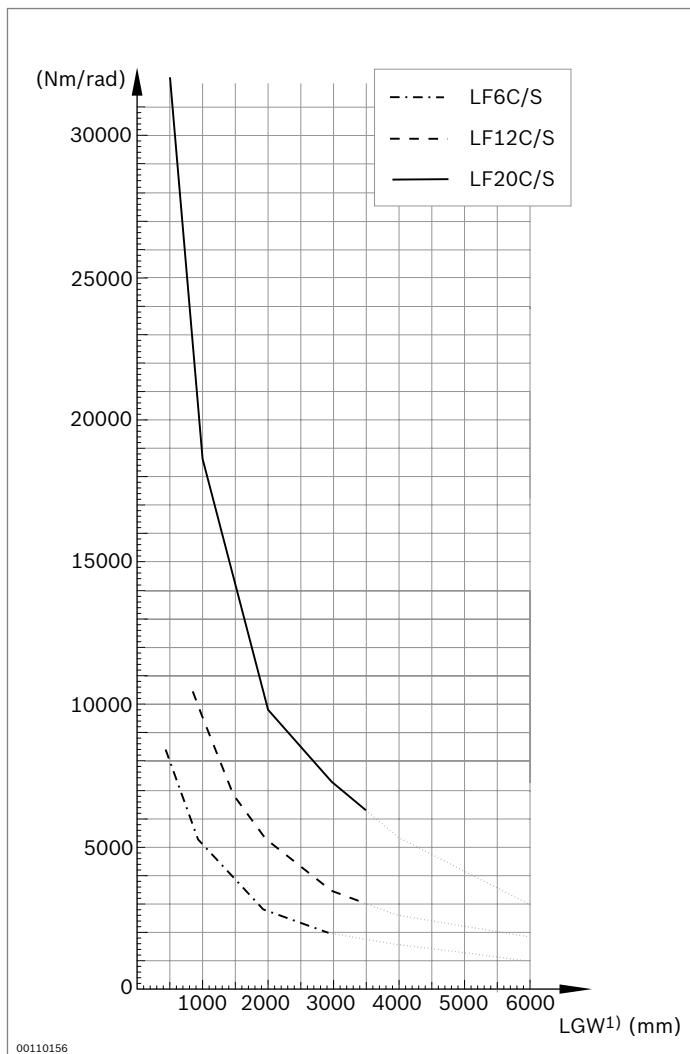
			LF6	LF12	LF20
Support separation SW	horizontal		215 ... 3000 mm	275 ... 3500 mm	325 ... 3500 mm
	vertical		215 ... 2000 mm	275 ... 2000 mm	325 ... 1100 mm
Nominal torque			max. 30 Nm	max. 60 Nm	max. 150 Nm
Permitted rpm			Diagram 3 (p. 13-56) max. 0.7 · nk	Diagram 3 (p. 13-56) max. 0.7 · nk	Diagram 3 (p. 13-56) max. 0.7 · nk
Elasticity	axial		max. 2 mm	max. 3 mm	max. 4 mm
	lateral		Diagram 4 (p. 13-56)	Diagram 4 (p. 13-56)	Diagram 4 (p. 13-56)
	torsion angle		Diagram 5 (p. 13-56)	Diagram 5 (p. 13-56)	Diagram 5 (p. 13-56)

Diagram 1: Torsion stiffness



¹⁾ Length synchronous shaft LGW

- LF6 LGW = SW - 72
- LF12 LGW = SW - 101
- LF20 LGW = SW - 130

Diagram 2: Mass inertia

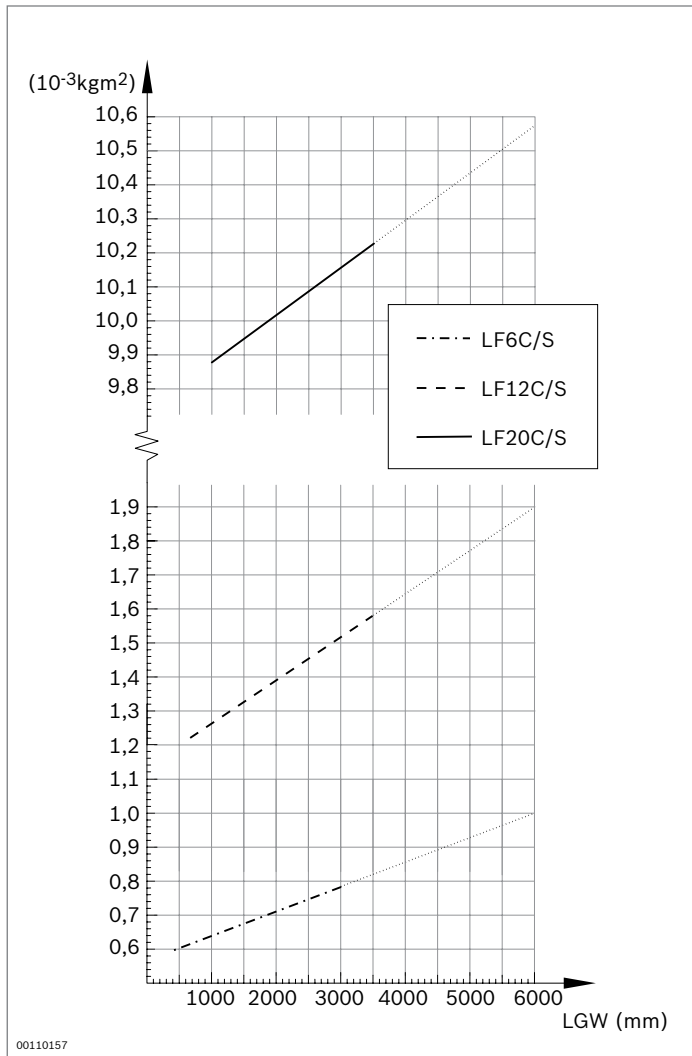


Diagram 3: Critical rpm nk due to bending

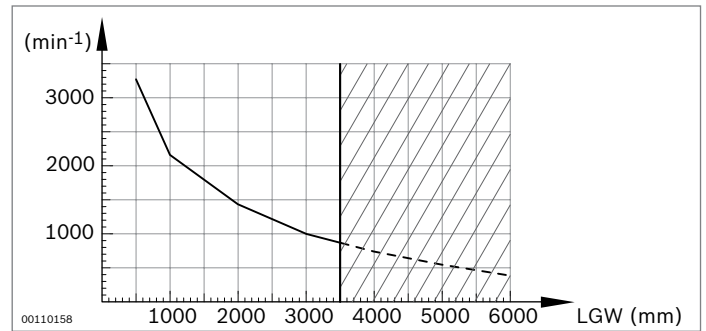
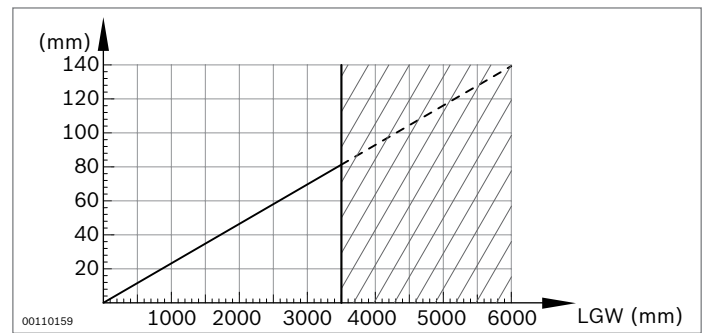
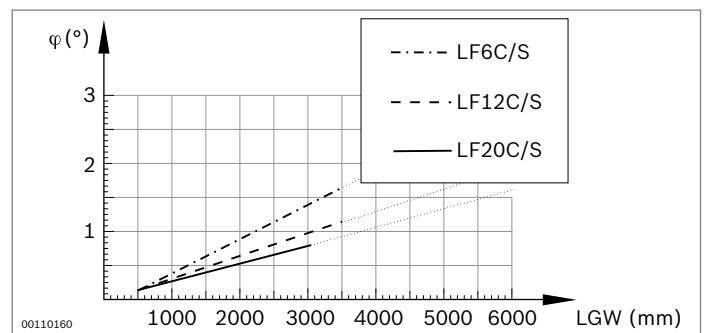


Diagram 4: Lateral offset



Aligned shafts are recommended.

Diagram 5: torsion angle



Planning tool LF-MGE

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Planning, implementation, commissioning and training – Rexroth offers you support in every project phase.

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With the LF-MGE Linear Motion Designer we offer a professional planning tool for the quick and easy design of linear guides.

LF-MGE	No.
	3 842 540 900

Performance characteristics

- ▶ Calculation of the service life of the individual guide bearings
- ▶ Combination of up to 16 guide bearings
- ▶ Dynamic movement sequence input
- ▶ Checking of the selected size
- ▶ Quick and easy design
- ▶ Clear displaying and documenting of results

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